Dirac Neutrinos and a Vanishing Higgs at the LHC

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with Athanasios Dedes and David Cerdeño JHEP09(2006)067, hep-ph/0607157

also with Frank Krauss and Terrance Figy hep-ph/to appear



Introduction

- Minimal Lepton Number Conserving Phantom Sector
- "Phantom" → singlet under the Standard Model gauge group SU(3)_c×SU(2)_L×U(1)_Y
- Simple model leading to interesting phenomenology:
 - Dirac Neutrino Masses
 - Dirac Leptogenesis
 - Higgs Phenomenology

Outline

Dirac Neutrino Masses Dirac Leptogenesis Higgs Phenomenology

• Dirac Neutrino Masses

- Dirac Leptogenesis
- Higgs Phenomenology

Model building

- Just 2 openings in the SM for renormalisable operators coupling SU(3)_c×SU(2)_L×U(1)_Y singlet fields to SM fields^[1]
- Higgs mass term: *H*[†]*H* ?*?
- Lepton-Higgs Yukawa interaction: $\overline{L} \widetilde{H} ?_{R}$
- What would happen if we filled in the gaps?
- But, no evidence for B L violation yet, so could try to build a B L conserving model
- Will try to be "natural" in the 't Hooft and the aesthetic sense - couplings either O(1) or strictly forbidden

[1] B. Patt and F. Wilczek, hep-ph/0605188

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- Augment the SM with two SU(3)_c×SU(2)_L×U(1)_Y singlet fields
 - a complex scalar Φ
 - a Weyl fermion *s_R*

$$-\mathcal{L}_{\text{link}} = \left(h_{\nu}\,\overline{l_{L}}\cdot\widetilde{H}\,s_{R} + \text{H.c.}\right) - \eta\,H^{\dagger}H\,\,\Phi^{*}\Phi$$

 $\widetilde{H}=i\sigma_2 H^*,$

 h_{ν} and η will be $\mathcal{O}(1)$,

 s_R carries lepton number L = 1.

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 Solution: Postulate the existence of a purely gauge singlet sector; add ν_R and s_L.

$$-\mathcal{L}_{p} = h_{p} \Phi \,\overline{s_{L}} \,\nu_{R} + M \,\overline{s_{L}} \,s_{R} + \text{H.c.}$$

 Forbid other terms by imposing a "phantom sector" global U(1)_D symmetry, such that only

$$\nu_R \to e^{i\alpha} \nu_R \quad , \quad \Phi \to e^{-i\alpha} \Phi$$

transform non-trivially

 If we require small Dirac neutrino masses this is the simplest choice for the phantom sector

$$\mathcal{L} = \mathcal{L}_{\mathrm{SM}} + \mathcal{L}_{\mathrm{link}} + \mathcal{L}_{\mathrm{p}}$$

Small effective Dirac neutrino masses – Dirac See-Saw



 Spontaneous breaking of both SU(2)_L×U(1)_Y and U(1)_D will result in the effective Dirac mass terms

$$-\mathcal{L} \ \supset \ \overline{
u_L'} \, {f m}_
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u_R' \ + \ \overline{s_L'} \, {f m}_{f N} \, s_R'$$

assuming $M \gg v$ and where

$$\mathbf{m}_{\nu} = -v \,\sigma \,\mathbf{h}_{\nu} \,\hat{\mathbf{M}}^{-1} \,\mathbf{h}_{p} \qquad \qquad \mathbf{m}_{\mathbf{N}} = \hat{\mathbf{M}}$$

with
$$\sigma \equiv \langle \Phi \rangle$$
 and $v \equiv \langle H \rangle = 175$ GeV.

Essentially the Froggatt-Nielsen mechanism!

C. D. Froggatt and H. B. Nielsen, NPB147(1979)277.



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M. Roncadelli and D. Wyler, PLB133(1983)325

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We can measure the baryon asymmetry of the universe but do we understand where it came from?

Sakharov's famous conditions

- Baryon number violation
- C and CP violation
- Conditions out of thermal equilibrium

Leptogenesis is commonly cited as a possible explanation

- In the SM, B + L violation occurs at high temperatures allowing a lepton asymmetry to be partially converted to a baryon asymmetry
- In the Majorana see-saw, lepton number and CP are generally violated in the decays of the heavy Majorana neutrinos
- These decays can occur out of thermal equilibrium

M. Fukugita and T. Yanagida, PLB174(1986)45

This model exactly conserves B - L, so it seems we cannot create a lepton asymmetry in the same way. However

- *B* + *L* violation in the SM does not directly affect right handed gauge singlet particles
- Small effective Yukawa couplings between the left and right handed neutrinos could prevent asymmetries in this sector from equilibrating

• L_{ν_R} could "hide" from the rapid B + L violating processes

V. A. Kuzmin, hep-ph/9701269 K. Dick, M. Lindner, M. Ratz and D. Wright, PRL84(2000)4039

see also: H. Murayama and A. Pierce, PRL**89**(2002)271601 S. Abel and V. Page, JHEP**0605**(2006)024 B. Thomas and M. Toharia, PRD**73**(2006)063512

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Generation of the L_{ν_R} (L_{SM}) asymmetry



 $S \equiv s_L + s_R$

- Heavy particle decay similar to Majorana leptogenesis
- In analogy with Davidson and Ibarra, the CP-asymmetry is bounded

$$|\delta_{R1}| \lesssim \frac{1}{16\pi} \frac{M_1}{v \sigma} (m_{\nu_3} - m_{\nu_1})$$

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Leptogenesis efficiency, κ , versus K for thermal and zero initial abundance of S_1 (\bar{S}_1). Also shown is the efficiency for differing left-right branching ratios.



Area in the M_1 , $(\mathbf{h}^{\dagger}\mathbf{h})_{11}$ parameter space allowed by successful baryogenesis when $(\mathbf{h}_{\nu}^{\dagger}\mathbf{h}_{\nu})_{11} = (\mathbf{h}_{\mathrm{p}}\mathbf{h}_{\mathrm{p}}^{\dagger})_{11}$ and $\sigma = v = 175$ GeV.

• If we take a 'natural' scenario with $(\mathbf{h}_{\nu}^{\dagger}\mathbf{h}_{\nu})_{11} = (\mathbf{h}_{p}\mathbf{h}_{p}^{\dagger})_{11} \simeq 1$ and $\widetilde{m} = 0.05$ eV (hierarchical light neutrinos) we can use the bound on the CP-asymmetry and the observed baryon asymmetry to put a bound on σ

$\sigma\gtrsim 0.1\;{\rm GeV}$

- If we require that S_1 be produced thermally after inflation there exists an approximate bound $M_1 \lesssim T_{RH}$.
- Given the same reasonable assumptions, this implies an approximate upper bound on σ

$$0.1 \text{ GeV} \lesssim \sigma \lesssim 2 \text{ TeV} \left(\frac{T_{RH}}{10^{16} \text{ GeV}} \right)$$

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The potential

$$V = \mu_H^2 H^* H + \mu_\Phi^2 \Phi^* \Phi + \lambda_H (H^* H)^2 + \lambda_\Phi (\Phi^* \Phi)^2 - \eta H^* H \Phi^* \Phi$$

where $H \equiv H^0$

- After spontaneous breaking of U(1)_D, Φ develops a non-zero vev. This, through the η term, would trigger electroweak SU(2)_L×U(1)_Y symmetry breaking
- Expanding the fields around their minima

$$H = v + \frac{1}{\sqrt{2}}(h + iG)$$
 , $\Phi = \sigma + \frac{1}{\sqrt{2}}(\phi + iJ)$

• We have

- the Goldstone bosons: G (eaten as usual) and J
- h and ϕ mix (due to the η term) and become two massive Higgs bosons H_1 and H_2

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$$\left(\begin{array}{c}H_1\\H_2\end{array}\right) \ = \ O\left(\begin{array}{c}h\\\phi\end{array}\right) \qquad \text{with} \qquad O=\left(\begin{array}{c}\cos\theta & \sin\theta\\-\sin\theta & \cos\theta\end{array}\right)$$

and the mixing angle

$$\tan 2\theta = \frac{\eta v \sigma}{\lambda_{\Phi} \sigma^2 - \lambda_H v^2}$$

- The limits $v \ll \sigma$ and $\sigma \ll v$ both lead to the SM with an isolated hidden sector
- These limits need an unnaturally small η, and would present problems with baryogenesis and small neutrino masses.
- A 'natural' choice of parameters (with e.g. $\eta \sim 1)$ would lead to

$$\tan \theta \sim 1$$
 , $\tan \beta \equiv v/\sigma \sim 1$

Triviality and Positivity

- We require that the parameters λ_H , λ_{Φ} and η do not encounter Landau poles at least up to the scale where we encounter "new physics".
- We also require that the potential remain positive definite everywhere, at least up to the scale of "new physics".
- After solving 1-loop RGEs, we can plot the maximum scale up to which our effective theory satisfies the above constraints.



- Couplings of the H_i to SM fermions and gauge bosons will be reduced by a factor O_{i1} (relative to the SM)
- H_i will also couple to the massless Goldstone pair JJ
- In the SM, for light Higgs masses \lesssim 160 GeV, $H \rightarrow b\bar{b}$ dominates. Here we find:

$$\frac{\Gamma(H_1 \to JJ)}{\Gamma(H_1 \to bb)} = \frac{1}{12} \left(\frac{m_{H1}}{m_b}\right)^2 \tan^2 \beta \, \tan^2 \theta$$
$$\frac{\Gamma(H_2 \to JJ)}{\Gamma(H_2 \to bb)} = \frac{1}{12} \left(\frac{m_{H2}}{m_b}\right)^2 \tan^2 \beta \, \cot^2 \theta$$

 In this model a 'light' Higgs boson will decay dominantly into invisible JJ as long as it is heavier than 60 GeV.



Dominant branching ratios of the two Higgs bosons H_1 (left) and H_2 (right) for the parameters $\theta = \beta = \pi/4$, with couplings equal to one. The shaded area is excluded by LEP.



- LEP excludes a light invisible Higgs with a mass $m_{H1} \lesssim 110$ GeV.
- It therefore sets a lower bound on the heavier Higgs $m_{H2} \gtrsim 191$ GeV.

- Let us compare the number of Higgs events at the LHC in this model vs. the SM (for an identical Higgs mass)
- Compare numbers of visible events, in the narrow width approximation and assuming that the vector bosons produced in Higgs decays are on-shell.

Define a parameter \mathcal{R}_i

$$\mathcal{R}_i \equiv \frac{\sigma(pp \to H_i X) \operatorname{Br}(H_i \to YY)}{\sigma(pp \to H_{\mathrm{SM}} X) \operatorname{Br}(H_{\mathrm{SM}} \to YY)}$$





 $\mathcal{R}_i = 0.1$



 $\mathcal{R}_i = 0.3$



 $\mathcal{R}_i = 0.01$

- There is a mass region where one, or both H_i decay to invisible JJ with $Br(H_i \rightarrow JJ) > 90\%$.
- How could this Higgs be found at the LHC?
- S. G. Frederiksen, N. Johnson, G. L. Kane and J. Reid, PRD50(1994)4244
- R. M. Godbole, M. Guchait, K. Mazumdar, S. Moretti and D. P. Roy, PLB**571**(2003)184
- K. Belotsky, V. A. Khoze, A. D. Martin and M. G. Ryskin, EPJC36(2004)503
- H. Davoudiasl, T. Han and H. E. Logan, PRD71(2005)115007

• Strategies:

- $Z + H_1$
- W-boson fusion
- central exclusive diffractive production

$Z(\rightarrow l^+l^-) + H_{\rm inv}$

using H. Davoudiasl, T. Han and H. E. Logan, PRD71(2005)115007

- multiply S/\sqrt{B} by 1/2 because of mixing
- assume LHC integrated luminosity of 30 fb⁻¹

| Signal significance for discovering the invisible H_1 is | |
|--|----------------------|
| • m_{H1} = 120 GeV | 4 .9 <i>σ</i> |
| ● <i>m</i> _{<i>H</i>1} = 140 GeV | 3 .6 σ |
| ● <i>m</i> _{<i>H</i>1} = 160 GeV | 2.7σ |

- Although this applies to $\theta = \pi/4$, the situation is rather generic in this region
- Note that for $m_{H1} \lesssim$ 140 GeV, the $H_1 \rightarrow \gamma \gamma$ channel may still be usable.

Simulation for High Energy Reactions of PArticles



[1] F. Krauss et al

- We have implemented this model in the matrix element monte carlo program SHERPA^[1]
- SHERPA is built to make it "easy" to implement new physics models in a monte carlo simulation – essential for being able to talk about realistic LHC phenomenology
- Will the invisible Higgs remain invisible?

Summary

- Proposed a minimal, *L* conserving, phantom sector of the SM leading to
 - Viable Dirac neutrino masses
 - Successful baryogenesis (through Dirac leptogenesis)
 - Interesting 'invisible' Higgs phenomenology for the LHC
- In this model, O(1) couplings, correct neutrino masses and baryogenesis seem to suggest an electroweak scale vev in the minimal phantom sector

Other Astro/Cosmo Constraints

 H_i couples to JJ as

$$-\mathcal{L}_J \supset \frac{(\sqrt{2}G_F)^{1/2}}{2} \tan \beta \, O_{i2} \, m_{H_i}^2 \, H_i \, JJ$$

- After electroweak/U(1)_D symmetry breaking the Js are kept in equilibrium via reactions of the sort $JJ \leftrightarrow f\bar{f}$ mediated by H_i
- A GIM-like suppression exists for these interactions from the orthogonality condition $\sum_i O_{i1}O_{i2} = 0$
- *J* falls out of equilibrium just before the QCD phase transition and remains as an extra relativistic species thereafter

- BBN/CMB yield a bound on the effective number of neutrino species $N_{\nu} = 3.24 \pm 1.2$ (90% C.L.)
- Early decoupling of J implies T_J is much lower than T_{ν}

$$\left(\frac{T_J}{T_{\nu}}\right)^4 = \left(\frac{g_*(T_{\nu})}{g_*(T_D)}\right)^{4/3} \lesssim \left(\frac{10.75}{60}\right)^{4/3}$$

• The increase in the effective number of light neutrinos, due to J, at BBN ΔN_{ν}^{J} is then

$$\Delta N_{\nu}^{J} = \frac{4}{7} \left(\frac{T_{J}}{T_{\nu}}\right)^{4} \lesssim 0.06$$